## **Homework 5 – Extra Hints.**

- 2: Ch21 P8
  a) For the first part of this problem you need to realize that the formula (21-1) in the book:  $\Delta S = \int \frac{dQ}{T}$ , in differential form would be:  $dS = \frac{dQ}{T}$  (if you integrate both sides you get 21-1 back.) Rearranging this result we get: TdS = dQ. We can now integrate both sides of this equation to get:  $\Delta Q = Q = \int T dS$ .
- b) Here you need to realize that for a monatomic gas you know  $C_V$ . (What is it? Look up the section 20-9 about degrees of freedom.)

## 3: Ch21 P20

- a) comes from the formula given, b) you get from the fact it is an ideal gas, c) means that you need to integrate the formula, since  $W = \int p(V) dV$  and  $p(V) = p_i e^{(V_i - V)/a}$ .
- d) The hint they give you works, but you could also use equation 21-4, where again you must realize you know all the parameters, since it is a monatomic gas.

## 5: Ch21 P39

- a) Integrate the curve.
- b) This is a little harder, first do  $A \rightarrow B$ , then  $B \rightarrow C$ , using  $dE_{int} = Q W$ , so  $Q = dE_{int} + W$ .
- c) Here you should realize that what you calculated during b) is  $Q_{\rm H}$ , the cycle from  $C \rightarrow D$  and then  $D \rightarrow A$  would give  $Q_L$ .